

## Time Course of Drug Action

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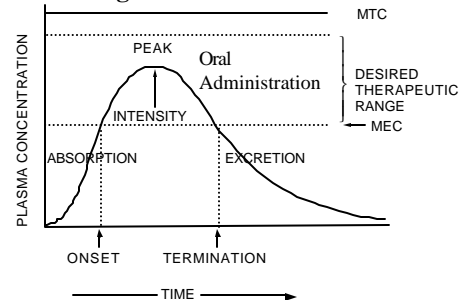
## Introduction to Pharmacokinetics I

Drug effects are proportional to the level of drug in the plasma.  
Drug in plasma is in equilibrium with drug at action site.  
The time course of drug action is a function of drug absorption, distribution, metabolism and excretion (pharmacokinetics).

## Introduction to Pharmacokinetics II

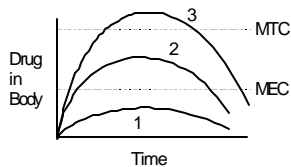
Changes in pharmacokinetics will alter drug effects.  
Patient characteristics such as age, tissue function, living habits and nutrition will alter the pharmacokinetics of drugs.  
Drug dose, dose interval or both must be altered to compensate for changes in drug pharmacokinetics.

## Blood-Drug Concentration Time Curve



Drug effect is proportional to level of drug in plasma.

## Determining Drug Efficacy



Three Brands of Drug  
Altered Bioavailability  
2 is good 1&3 are not  
MTC: [toxic level]  
MEC: [effective level]

## Zero-Order Reaction Kinetics I

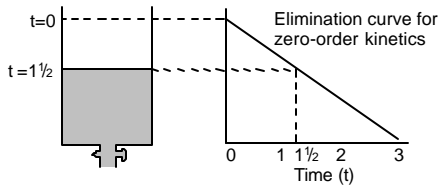
Saturable Processes: Enzymes and Transport Carriers

Constant Rate (zero-order) at saturation.

Rate independent of drug concentration at saturation.

Absorption: iv drip and iv infusion  
implantation pellet  
anesthetic gases  
sustained release preparations

## Zero-Order Reaction Kinetics II



iv infusion lowers drug level at constant rate which is independent of the level of drug.

## Metabolism of Alcohol

### Alcohol

- Alcohol Dehydrogenase (slow)

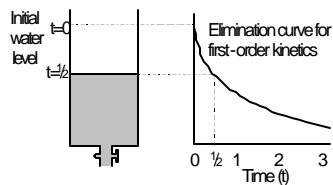
### Acetaldehyde (toxic)

- Acetaldehyde Dehydrogenase (fast)

### Acetate

clear 1 drink/h (constant)  
input > 1 drink/h (drunk)  
input = 1 drink/h (constant)  
Input < 1 drink/h (sober)

## First-Order Reaction Kinetics



Exponential Decline

Common Process

Changing Rate

Rate proportional to drug Concentration.

50 % every  $t_{1/2}$

## First-Order Kinetic Equations I

$$\text{Half-life } [t_{1/2}] = 0.693 / k_e \text{ **}$$

$k_e$  = first-order elimination rate constant

time to eliminate 50% of drug

$$K_e = \text{Clearance} / V_d \text{ **}$$

Clearance (total body)

$V_d$  (volume of distribution)

$$t_{1/2} = [0.693][V_d] / \text{Clearance}$$

## First-Order Kinetic Equations II

$$V_d = Q / C_o \text{ **}$$

Q = drug dose

$C_o$  = plasma drug concentration at time zero

$$\text{Clearance} = [k_e][V_d]$$

$$\text{Clearance} = [0.693][V_d] / t_{1/2}$$

$$V_d = \text{Clearance} / k_e$$

## First-Order Kinetic Equations III

$$K_e = 0.693 / t_{1/2}$$

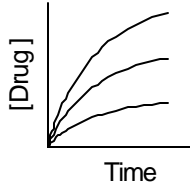
$$C_o = Q / V_d$$

$$Q = [C_o][V_d]$$

Be able to calculate:

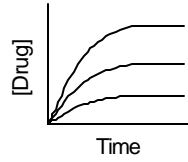
$V_d$ ,  $t_{1/2}$ , Clearance,  $k_e$ ,  $C_o$  and Q

### Drug Accumulation (Zero-Order CL)



Phenytoin cleared by liver.  
 CL is constant at high doses.  
 Saturation of liver enzymes.  
 Input > output = increase  
 Input = output = plateau  
 Does not plateau at all doses.

### Drug Accumulation (First-Order CL)



Digoxin is cleared by kidney.  
 Clearance is non-saturable.  
 Clearance is dose-dependent.  
 50% in each  $t_{1/2}$  interval.  
 Levels rise until input = output.  
 Plateau at all doses ( $7 t_{1/2}$ ).

### First-Order Elimination Time Course

T 1/2 intervals	Amount of Drug (mg)	
	In Body	Eliminated
0	100	0
1	50	50
2	25	75
3	12.5	87.5
4	6	94***
5	3	97
6	1.5	98.5
7	0.75	99.3

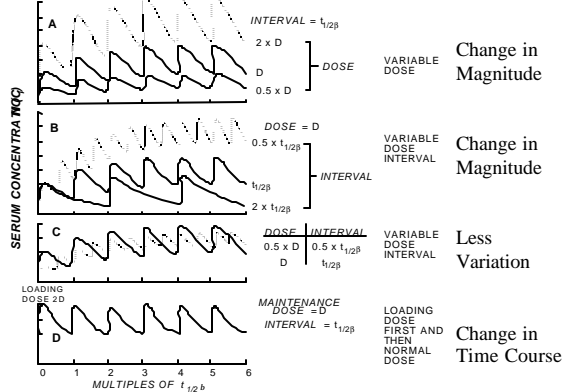
Drug's  $t_{1/2} = 4$  h  
 Dose = 100 mg iv  
 94% of drug cleared at 4  $t_{1/2}$ .  
 To accumulate dose interval must be less than 4  $t_{1/2}$ .  
 It takes 7  $t_{1/2}$  to clear most of the drug.

### Plateau Principle [First-Order CL]

	Dosing interval													
	1	2	3	4	5	6	7	1	2	3	4	5	6	7
	A	B	A	B	A	B	A	B	A	B	A	B	A	B
1g [Body]	1	.5	1.5	.75	1.75	.88	1.94	.97	1.97	.99	1.99	1	2	1
2g [Body]	2	1	3	1.5	3.5	1.75	3.75	1.88	3.88	1.94	3.94	2	4	2

$T_{1/2} = 4$  h Dose Interval = 4 A = level of drug immediately after dose.  
 B = level of drug just before dose is give and drug cleared in each  $t_{1/2}$ .  
 Drug accumulates until input = output ( $7 t_{1/2}$ ) = plateau [all doses]  
 Time course of plateau is determined by drug's  $t_{1/2}$ .  
 Loading dose (2g or 4g) then 1/2 at  $t_{1/2}$  interval

### Changes in plateau magnitude.



Change in Magnitude  
 Change in Magnitude  
 Less Variation  
 Change in Time Course

### Alterations in Plateau Time Course

The plateau time course is a function of the drug's  $t_{1/2}$ .  
 $t_{1/2} = 0.693 / k_e$  (altered by excretion)  
 Increased excretion = decreased  $t_{1/2}$  and time course.  
 Decreased excretion = increased  $t_{1/2}$  and time course.  
 Loading Dose and then  $1/2$  LD at  $t_{1/2}$  intervals produces rapid plateau.  
 Not altered by one change in dose or dose interval.

## Alterations in Magnitude of Plateau

Proportional to changes in drug dose.

Inversely proportional to changes in dose interval.

Inversely proportional to changes in drug clearance ( $t_{1/2}$ ).

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## Application of Pharmacokinetic Principles

$$C_{ss} = \frac{F \times D}{k_e \times V_d \times T}$$

$C_{ss}$  = steady-state (plateau) level of drug in plasma

F = bioavailability T = dose interval (h)

D = dose administered (mg or g) iv

$k_e$  = first-order elimination rate constant (1/min, h)

$V_d$  = volume of distribution (L)

Clearance (CL) =  $k_e \times V_d$  (ml/min, L/h)

## Pharmacokinetics of Theophylline I

Patient is a 70 kg male .

F = 1      D = 370 mg      CL = 2.7 L/h

T = 9 h       $V_d$  = 35 L       $k_e$  = 0.08 h<sup>-1</sup>

$t_{1/2}$  = 9 h      MEC = 10 mg/L      MTC = 20 mg/L

$$C_{ss} = \frac{F \times D}{CL \times T} = \frac{[1][370 \text{ mg}]}{[2.7 \text{ L/h}][9\text{h}]} = 15 \text{ mg/L}$$

$$\text{Loading Dose} = \frac{V_d \times C_{ss}}{F} = \frac{[35\text{L}][15 \text{ mg/L}]}{1} = 525 \text{ mg}$$

## Pharmacokinetics of Theophylline II

$$\text{Maintenance Dose} = C_{ss} \times CL \times T / F$$

$$= [15 \text{ mg/L}] [2.73 \text{ l/h}] [9\text{h}] / 1 = 370 \text{ mg}$$

$$t_{1/2} = 0.693 / k_e = 0.693 / .08 \text{ h}^{-1} = 9 \text{ h}$$

$$CL = 0.693 \times V_d / t_{1/2} = [0.693] [35\text{L}] / 9 \text{ h} = 2.70 \text{ L}$$

$$V_d = t_{1/2} \times CL / 0.693 = [9\text{h}] [2.7 \text{ l/h}] / 0.693 = 35 \text{ L}$$

## Pharmacokinetic Problems I

Principle: It takes 1, 2, 3, 4, 5, 6 and 7  $t_{1/2}$ s to clear and accumulate 50 75 88 94 97 99 and 100 % of drug.

When will a drug with a  $t_{1/2}$  of 8 h reach 75% of  $C_{ss}$  if given every 4 h ?

What if drug is given every 12 h ?

Which situation gives the highest  $C_{ss}$  level?

### Pharmacokinetic Problems II

Principle: It takes 1, 2, 3, 4, 5, 6 and 7  $t_{1/2}$ s to clear and accumulate 50, 75, 88, 94, 97, 99 and 100 % of drug.

A drug was given iv and 24 h later 94% of the drug was excreted. What is the  $t_{1/2}$  of this drug ?

### Pharmacokinetic Problems III

Principle: It takes 1, 2, 3, 4, 5, 6 and 7  $t_{1/2}$ s to clear and accumulate 50, 75, 88, 94, 97, 99 and 100 % of drug.

How long will it take to eliminate 750 mg of a 1000 mg iv dose, if this drug has a  $t_{1/2}$  of 6 h ?

### Pharmacokinetic Problems IV

Principle: It takes 1, 2, 3, 4, 5, 6 and 7  $t_{1/2}$ s to clear and accumulate 50, 75, 88, 94, 97, 99 and 100 % of drug.

What is the  $t_{1/2}$  of a drug if 940 mg of a 1000 mg iv dose is eliminated in 24 h?

### Pharmacokinetic Problem V

What is the  $C_{ss}$  of a drug that is 100% bioavailable ( $F=1$ ), when 250 mg of this drug is administered iv every 10 h to a patient that clears this drug at a rate of 2.5 L/h ?

$$C_{ss} = F \times D / CL \times T = [1] [250 \text{ mg}] / 2.5 \text{ L/h} [10\text{h}] = 10 \text{ mg/L}$$